

# Constant duality gap

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## Abstract

Inspired by the role played by zero duality gap in optimization problems, especially in the stopping strategy of algorithms, we design in this work a similar scheme but addressing non-convex quadratic optimization problems subject to linear equality constraints having possibly nonzero duality gap. In fact, we get a formula for determining it at least approximately.

## References

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